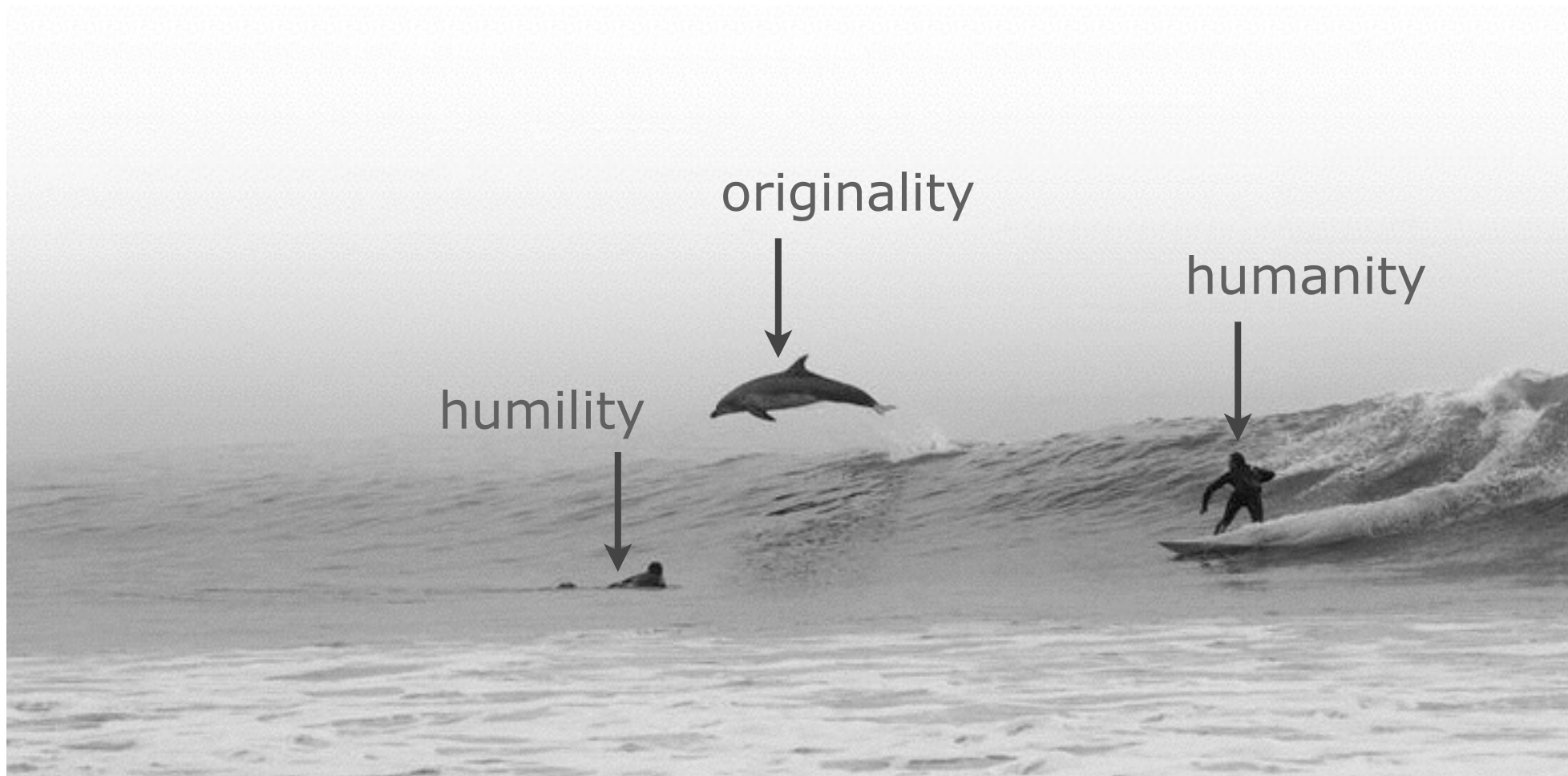
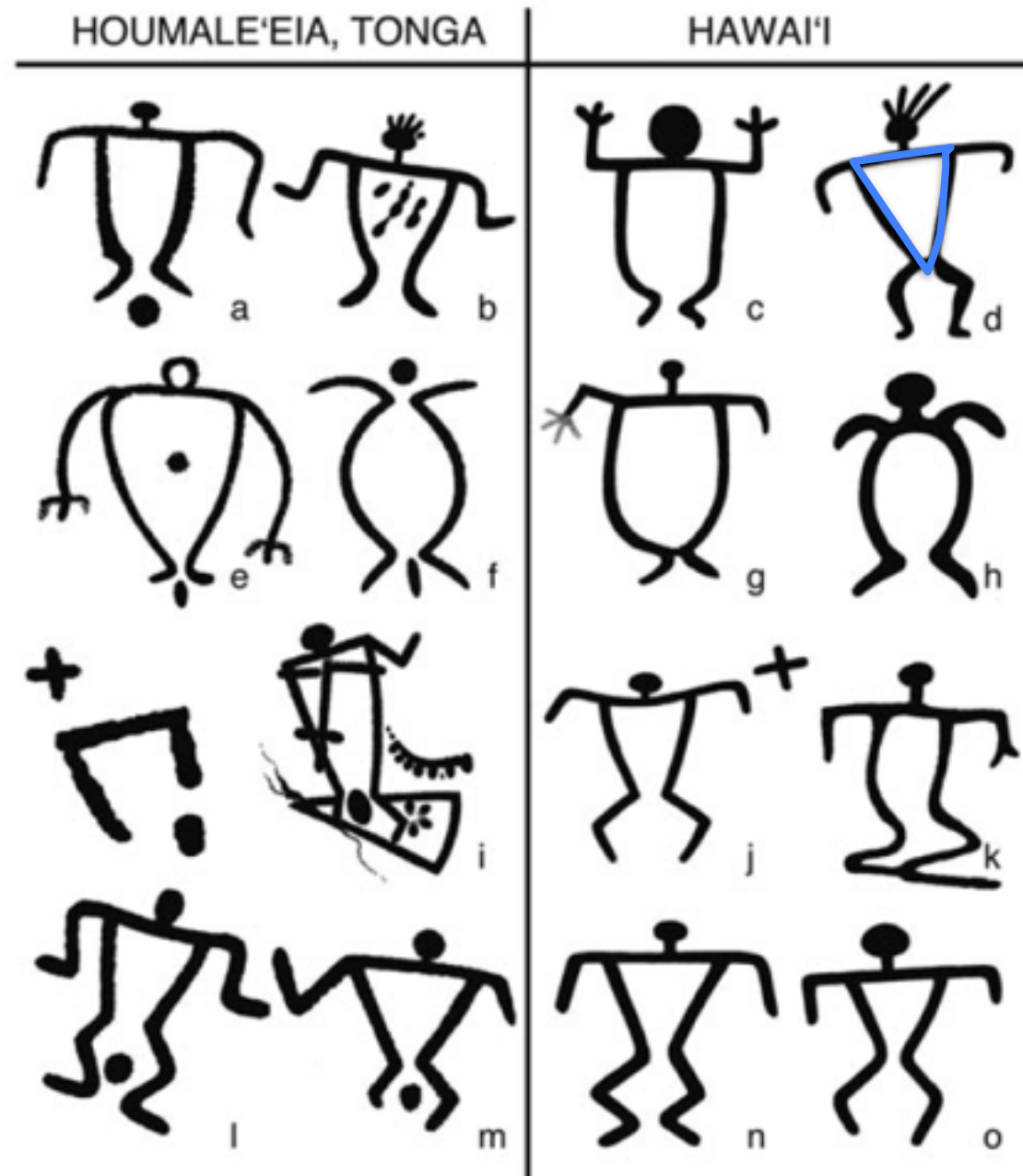




physics of surfing

Eline Dehandschoewercker
Marc de Gennes





TRIANGULAR MEN ON ONE VERY LONG VOYAGE:
 THE CONTEXT AND IMPLICATIONS OF A HAWAIIAN-
 STYLE PETROGLYPH SITE IN THE POLYNESIAN
 KINGDOM OF TONGA

SHANE EGAN
Kanokupolu, Tongatapu, Kingdom of Tonga

DAVID V. BURLEY
Simon Fraser University



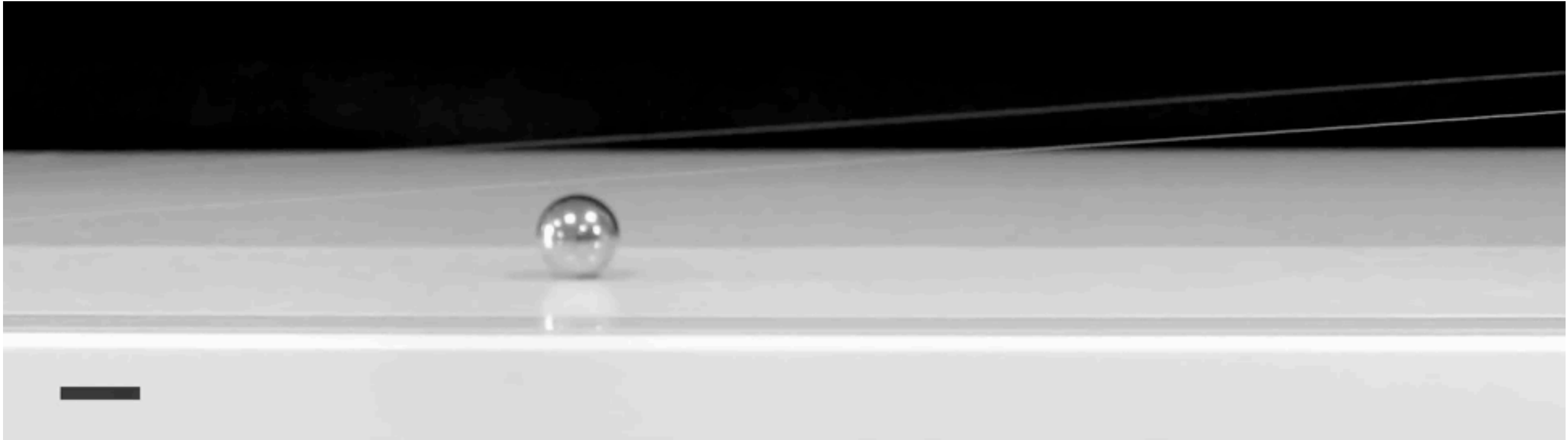
A news broadcast still image showing a sailboat on a body of water. The scene is slightly hazy. A red banner with the number 7 and the word NEWS is in the top right corner. A blue and white banner at the bottom contains the reporter's name and the title of the report. A red banner at the bottom right contains the location name.

7 NEWS

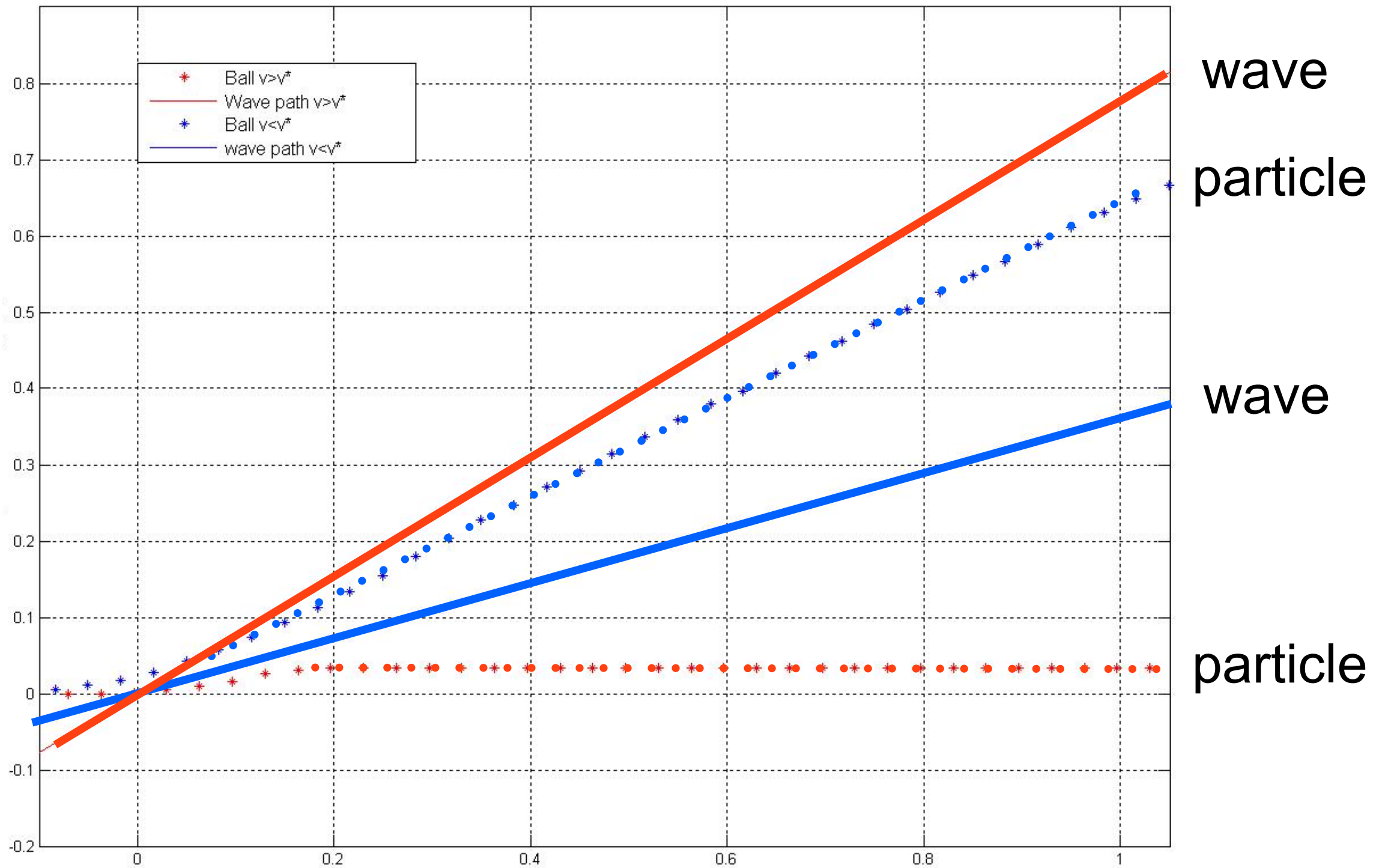
7
NEWS

JOSH ADSETT Reporting
Seaway Thrills

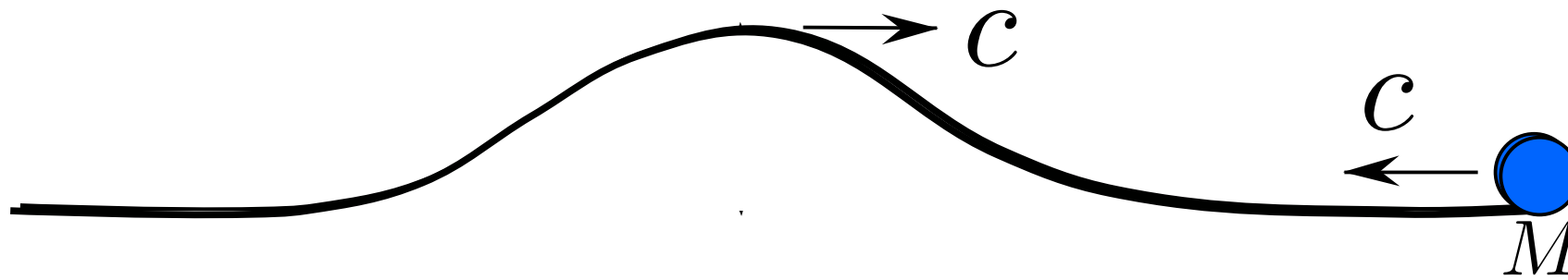
SOUTHPORT SEAWAY



x (m)



t (s)



$$\frac{1}{2} M c^2 = M g H$$

$$H = \frac{c^2}{2g} \quad ? < A$$

$$A > \frac{c^2}{2g}$$

$$c^2 = \frac{g}{k}$$

$$Ak > \frac{1}{2}$$



1. WATER WAVES BEFORE 1800: NEWTON, LAPLACE, LAGRANGE

THE ORIGINS OF WATER WAVE THEORY

Alex D.D. Craik

Isaac Newton was the first to attempt a theory of water waves. In *Book II, Prop. XLV* of *Principia* (1687), he proposed a dubious analogy with oscillations in a U-tube,

Si de l'eau descend et monte alternativement dans les branches KL, MN d'un canal; et qu'on ait un pendule dont la longueur entre le point de suspension et le centre d'oscillation soit égale à la moitié de la longueur de la colonne d'eau qui est dans le canal: je dis que l'eau montera et descendra dans ce canal dans les mêmes temps dans lesquels ce pendule oscillera.

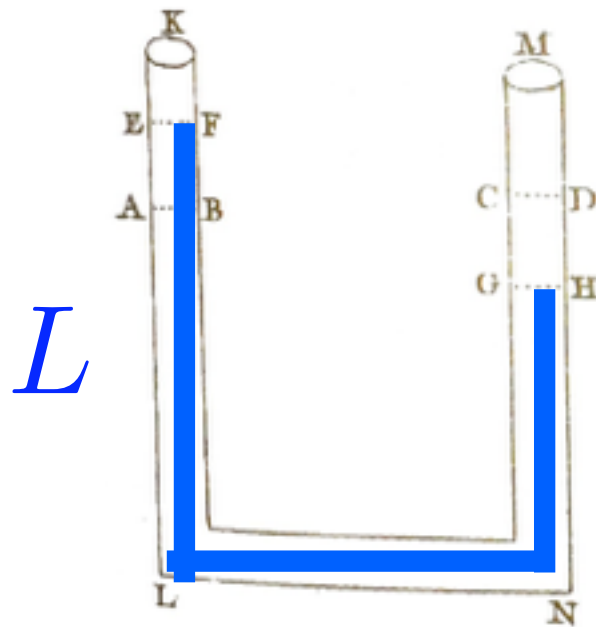


FIG. 51.

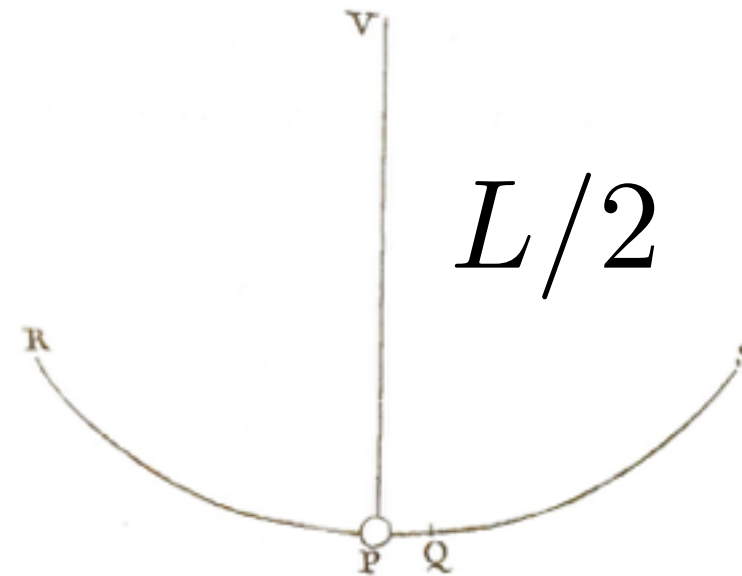


FIG. 52.

$$\omega^2 = \frac{2g}{L}$$

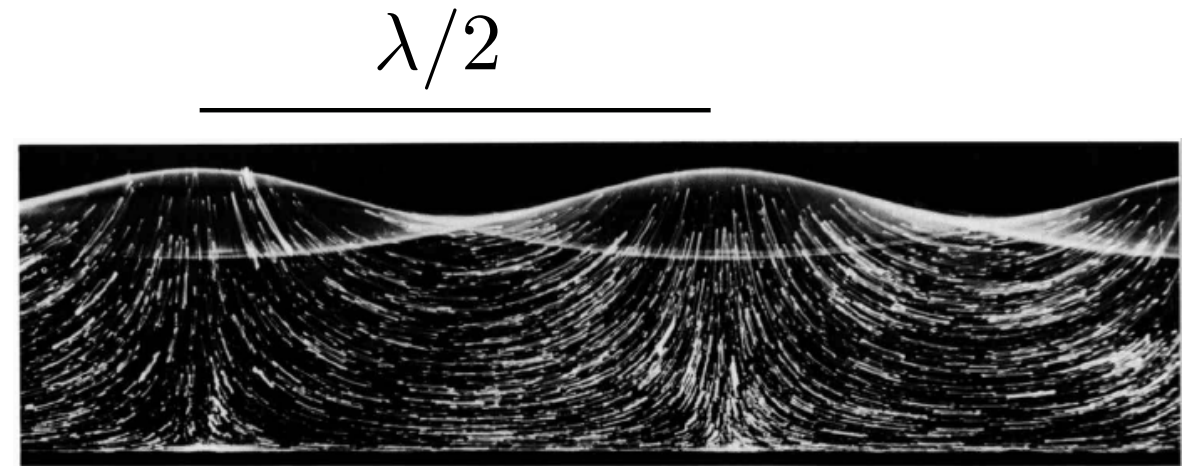
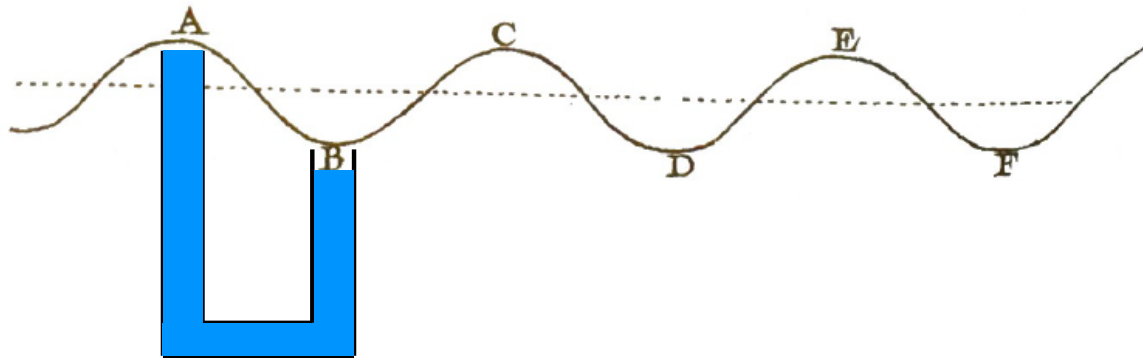
PROPOSITION XLV – THÉORÈME XXXVI

La vitesse des ondes est en raison sous-doublée de leur largeur.

C'est ce qui suit de la construction de la Proposition suivante.

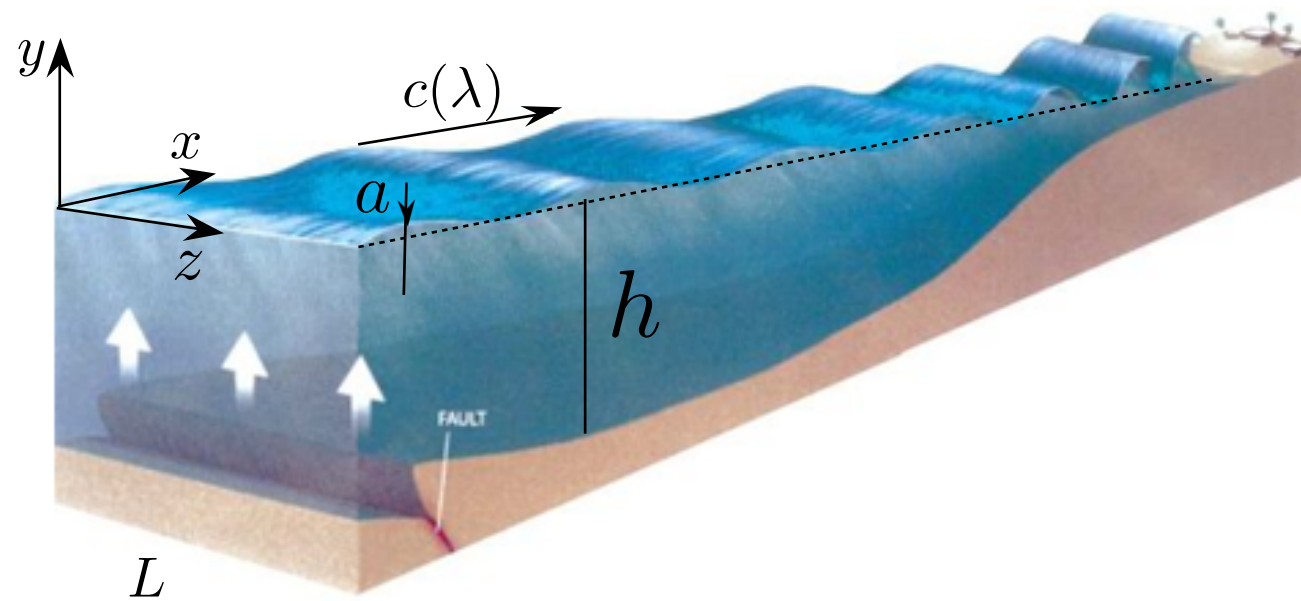
PROPOSITION XLVI – PROBLÈME X

Trouver la vitesse des ondes.



$$\left. \begin{array}{l} \omega^2 = \frac{2g}{L} \\ L \sim \lambda \end{array} \right\}$$

$$\omega^2 \sim g/\lambda$$



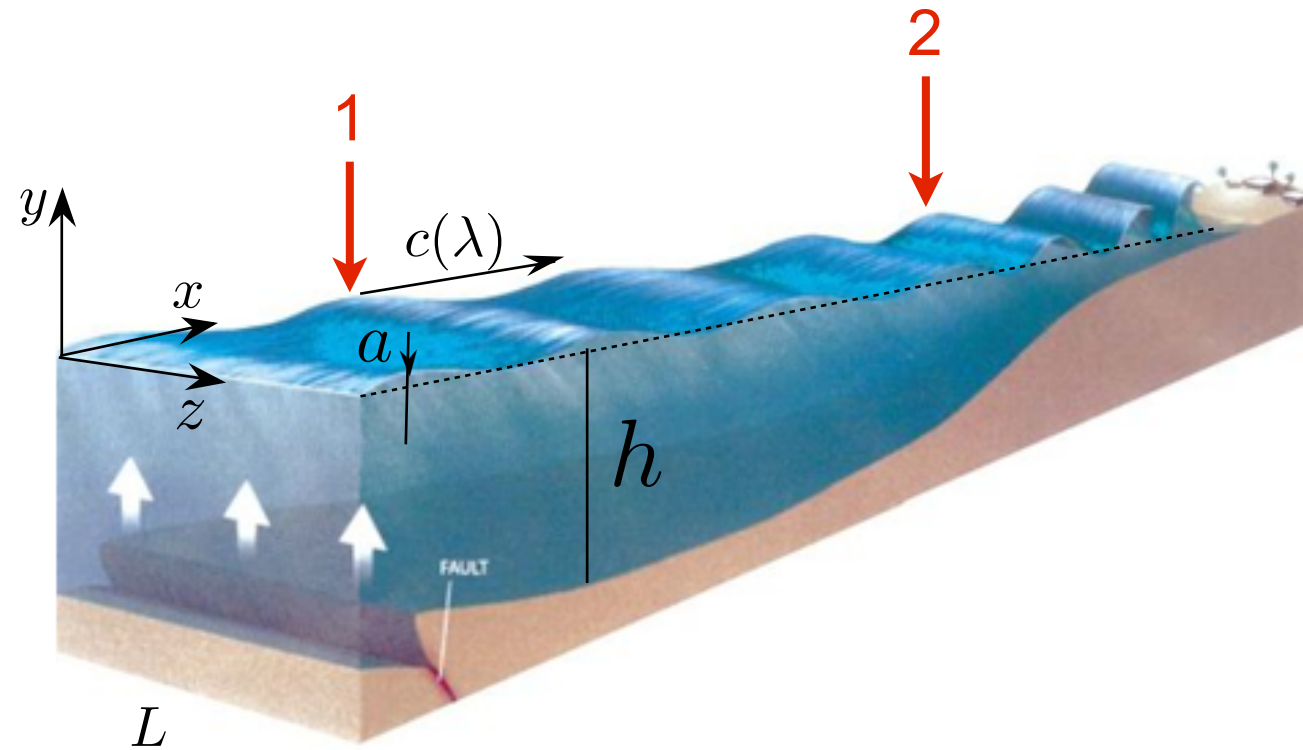
$$\left. \begin{aligned} \langle K \rangle &= \frac{\pi}{2} \rho c^2 a^2 L \cdot \frac{1}{\tanh(kh)} \\ \langle U \rangle &= \frac{\pi}{2} \rho g L \frac{a^2}{k} \end{aligned} \right\} <$$

$$c^2 = \frac{g}{k} \tanh(kh)$$

$$\langle E \rangle = \langle K \rangle + \langle U \rangle = \frac{1}{2} \rho g L a^2 \lambda$$

$$a^2 \lambda = Cte$$

Shoaling



law of waves: « the period is conserved ! »

$$\frac{\Delta t}{[\lambda/c(\lambda)]_1} = \frac{\Delta t}{[\lambda/c(\lambda)]_2}$$

$$\lambda/c(\lambda) = Cte$$

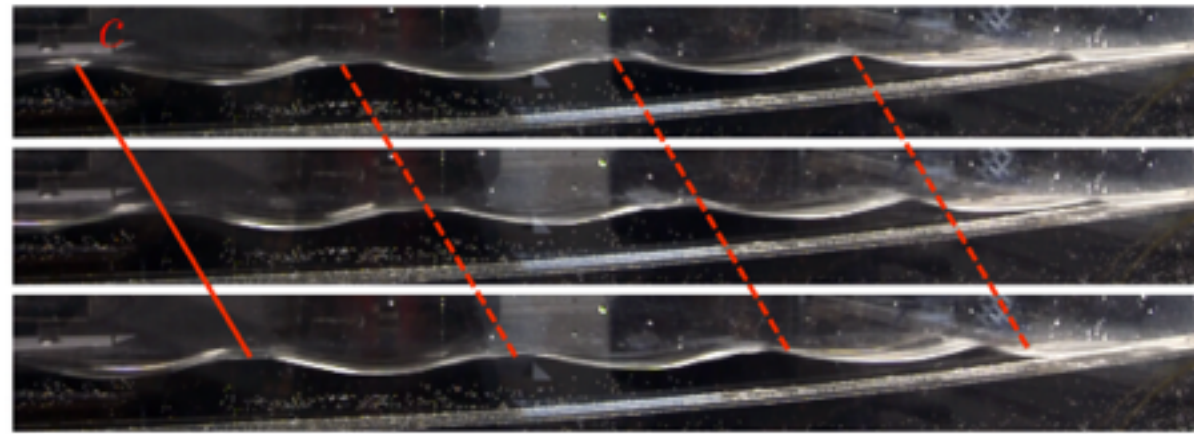
deep water: $\lambda = Cte$

shallow water: $\lambda \sim \sqrt{h}$

$$a^2 \lambda = Cte$$

$$a \sim h^{-1/4}$$

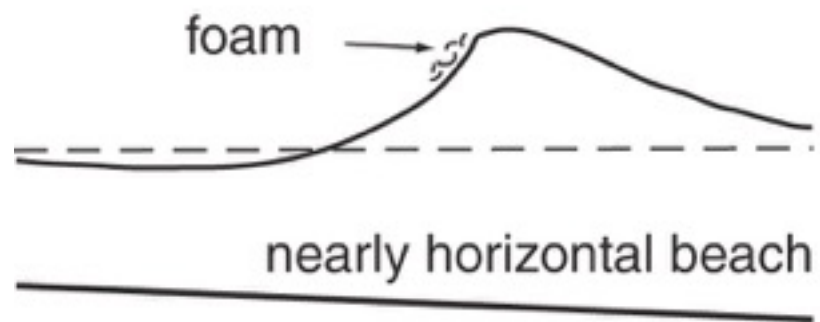
$$a/\lambda \sim 1/h^{3/4}$$



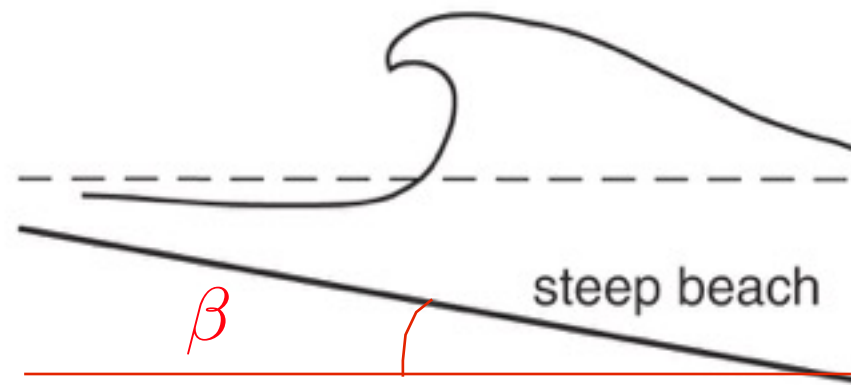
CLASSIFICATION OF WAVES

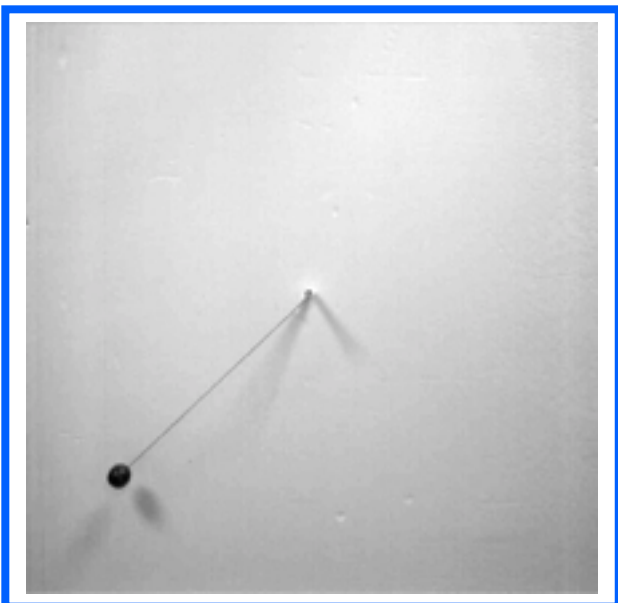
«Nearshore Dynamics and Coastal Processes: Theory, Measurement, and Predictive Models» Kiyoshi Horikawa (1988)

I. Spilling breakers

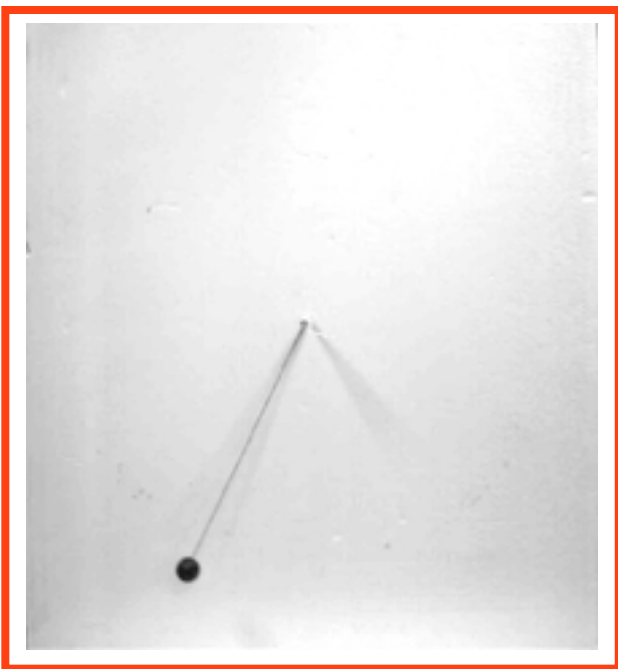
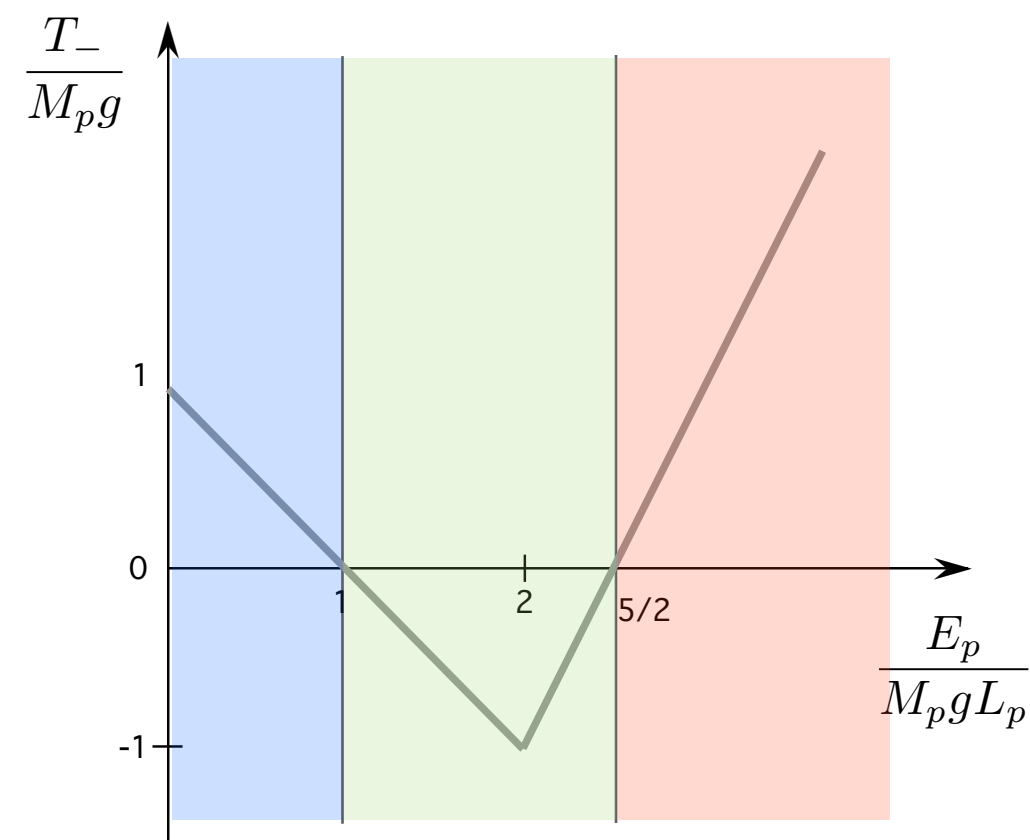
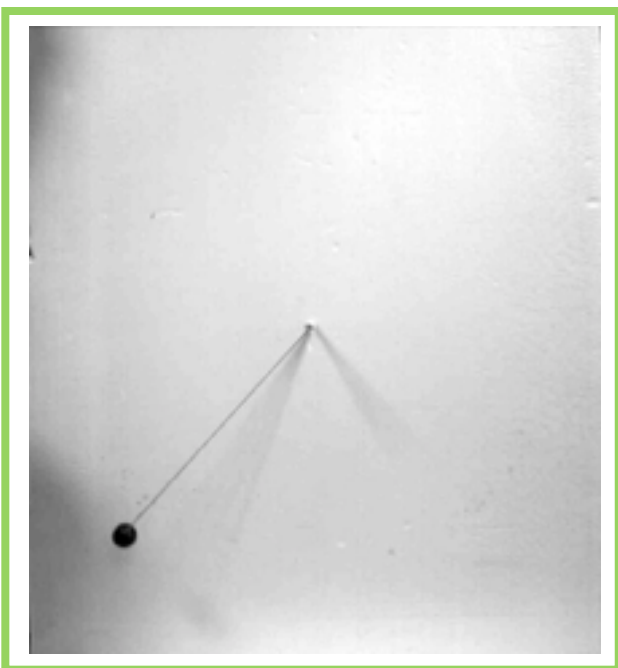


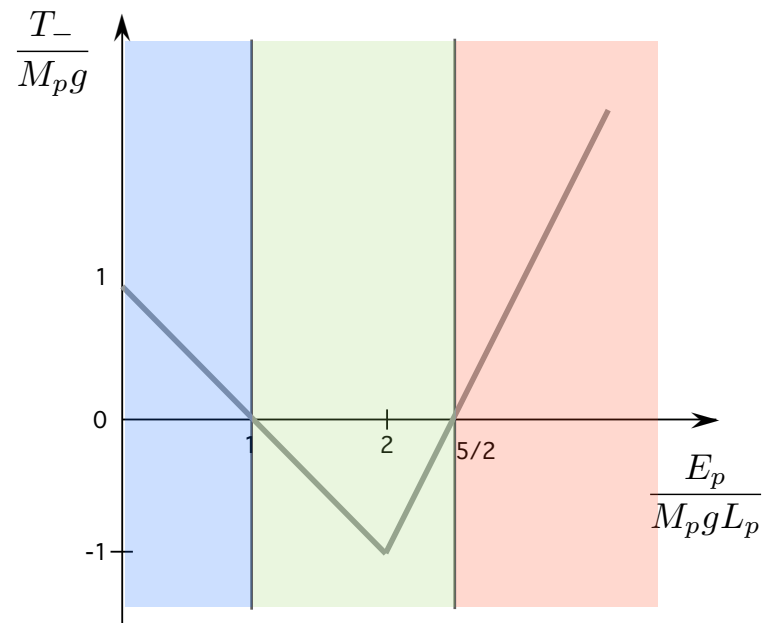
II. Plunging breakers





pendulum analogy



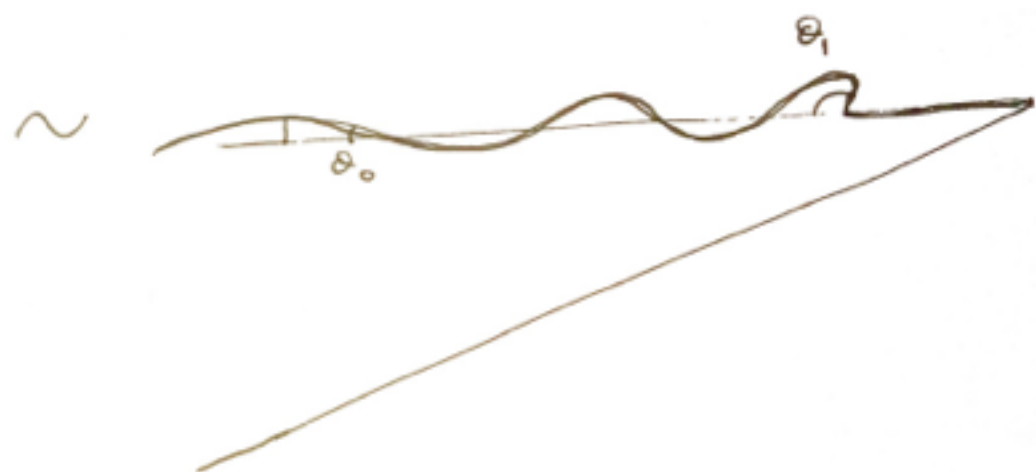


①



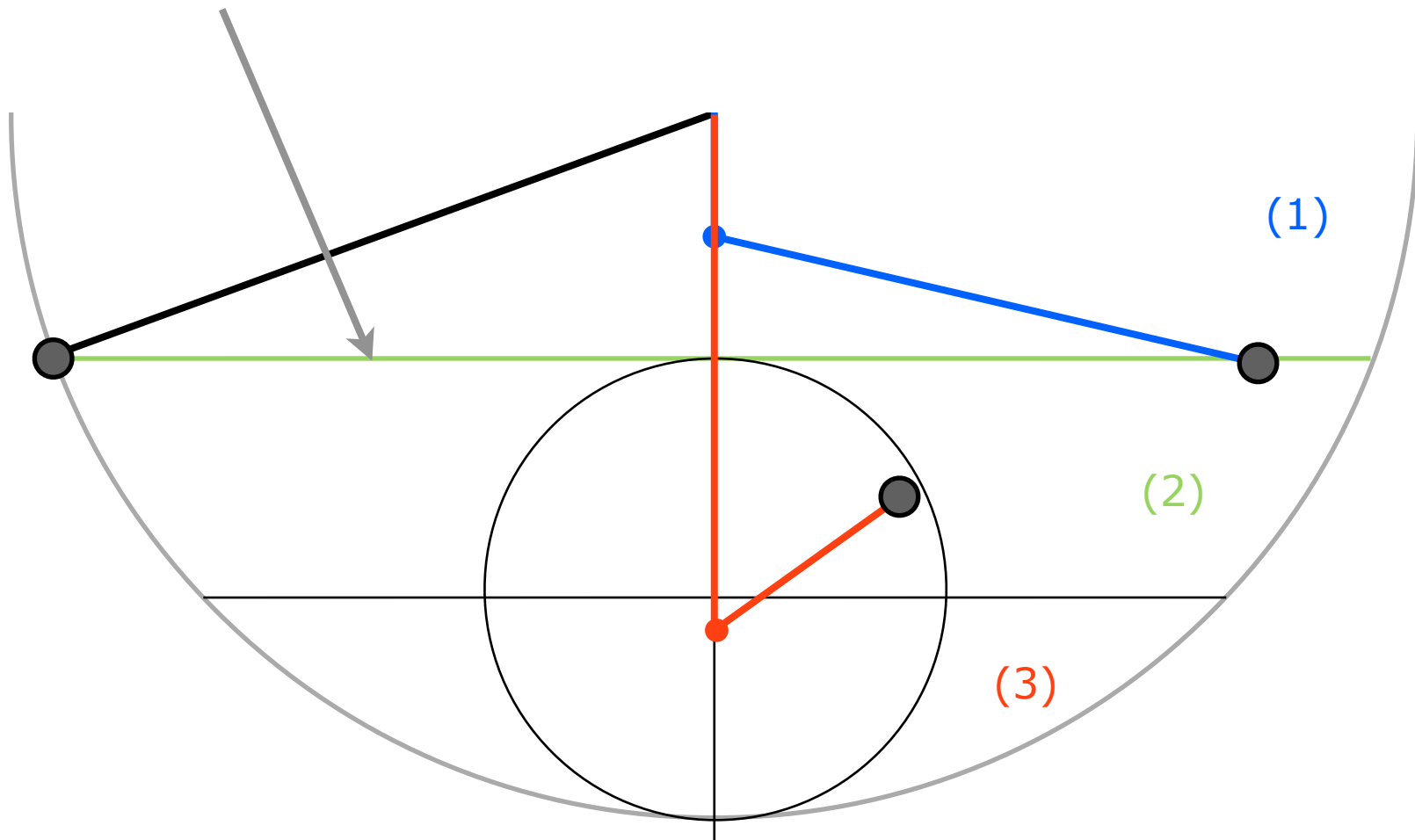
Pendulum

②

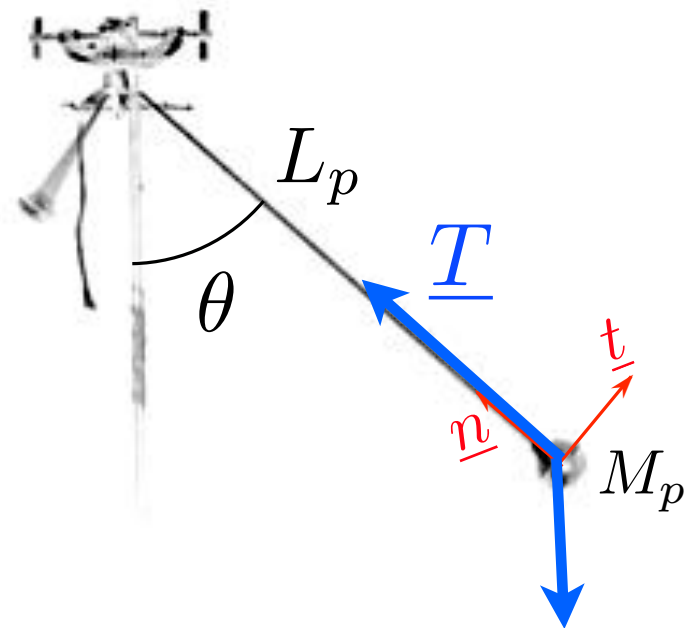


Breaking waves

iso-energy



pendulum analogy



$$\underline{T} = M_p \frac{d\underline{U}}{dt} - M_p \underline{g}$$

$$T = M_p g \left(\cos \theta + \frac{U^2}{gL_p} \right)$$

NATURE

December 5, 1953 VOL. 172

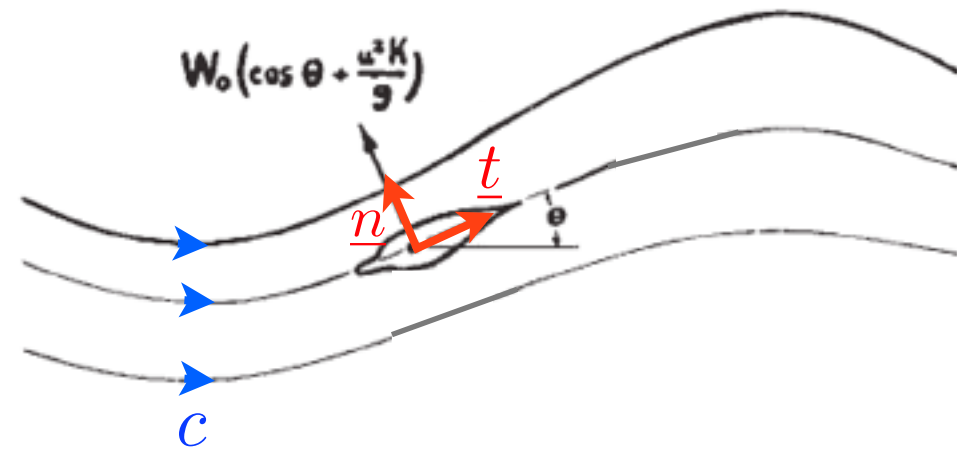


Fig. 1. Dolphin in a wave

$$-\underline{\text{grad}} p = \rho \frac{D\underline{U}}{Dt} - \rho \underline{g} \quad \underline{U} = c\underline{t}$$

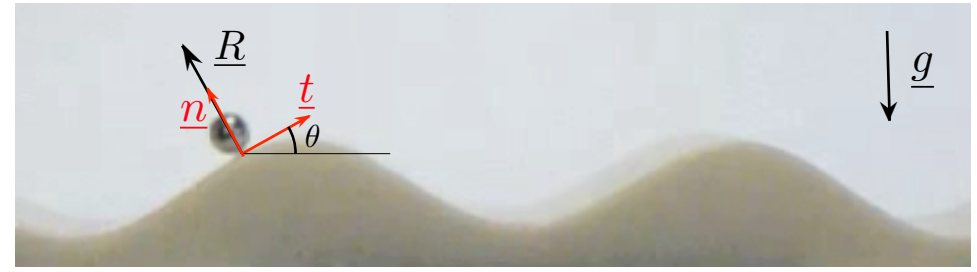
$$-\underline{\text{grad}} p = \rho g \left(\cos \theta + \frac{c^2}{g} \frac{d\theta}{ds} \right) \underline{n}$$

transition

$$\frac{c^2}{g} \frac{d\theta}{ds} > 1$$

$$\frac{1}{k} ak^2 = ak > 1$$

analogie with rolling spheres



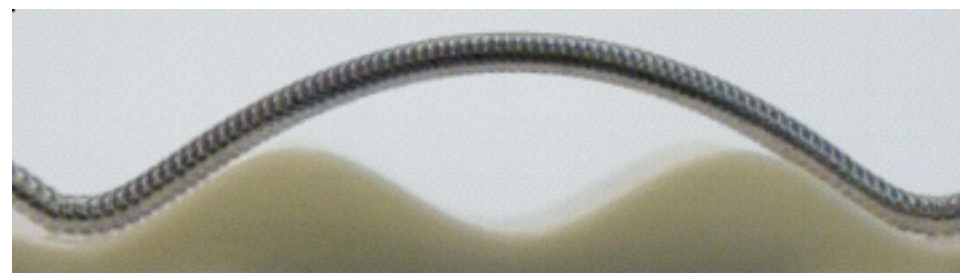
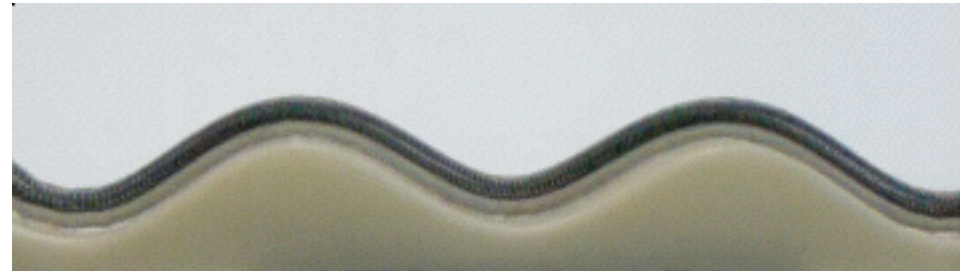
$$M \frac{d\underline{U}}{dt} = \underline{R} + M \underline{g}$$

$$\underline{R} = M \frac{d\underline{U}}{dt} - M \underline{g}$$

$$R = Mg \left(\cos \theta + \frac{U^2}{g} \frac{d\theta}{ds} \right)$$

$$-\underline{\text{grad}} p = \rho g \left(\cos \theta + \frac{c^2}{g} \frac{d\theta}{ds} \right) \underline{n}$$

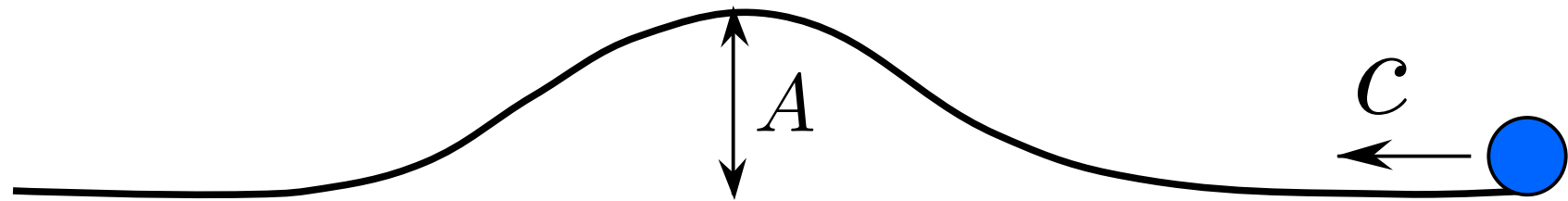
analogie with rolling spheres





$$A > c^2/2g$$

before

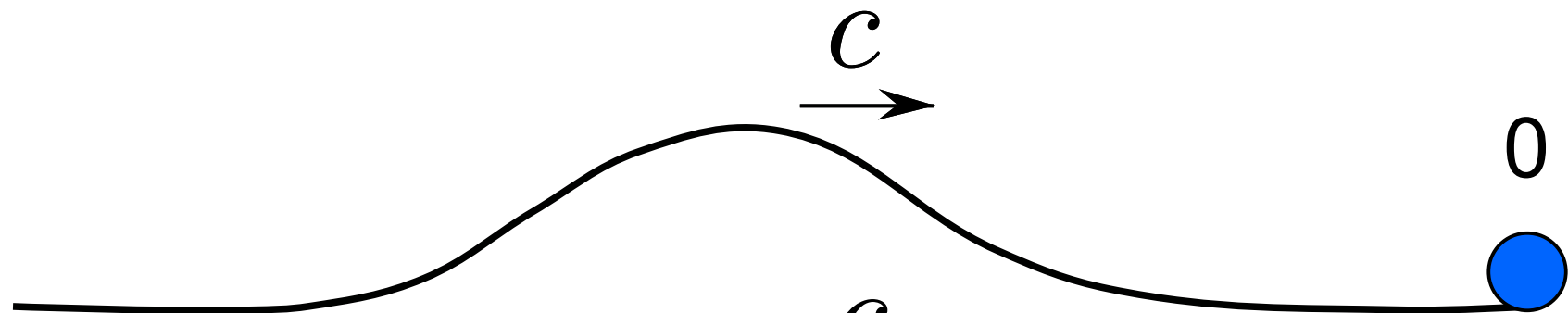


after

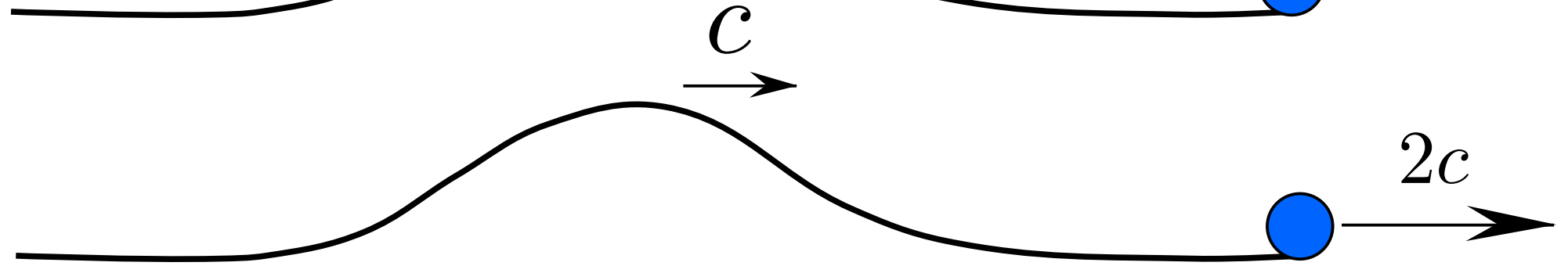


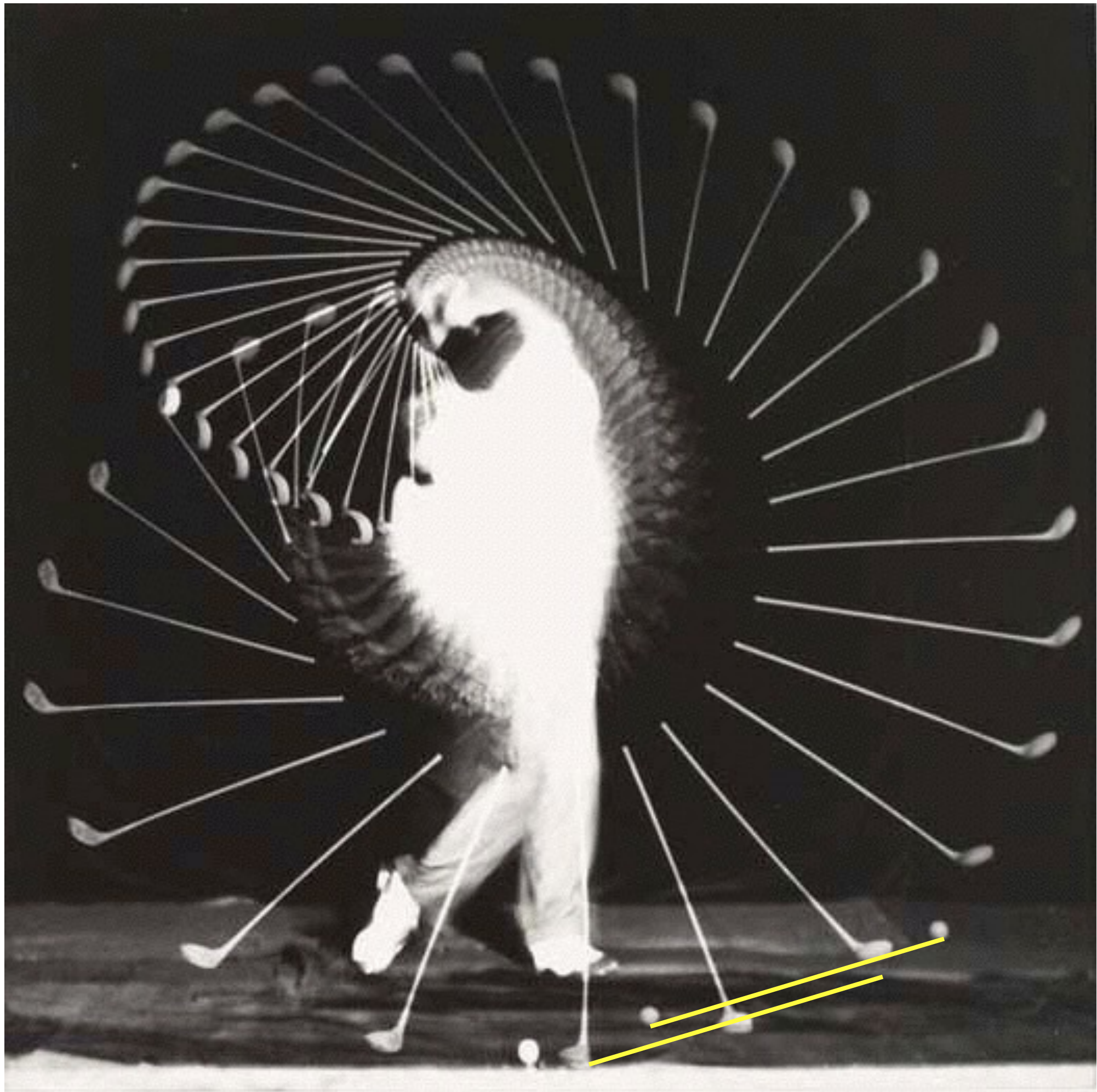
$$+c$$

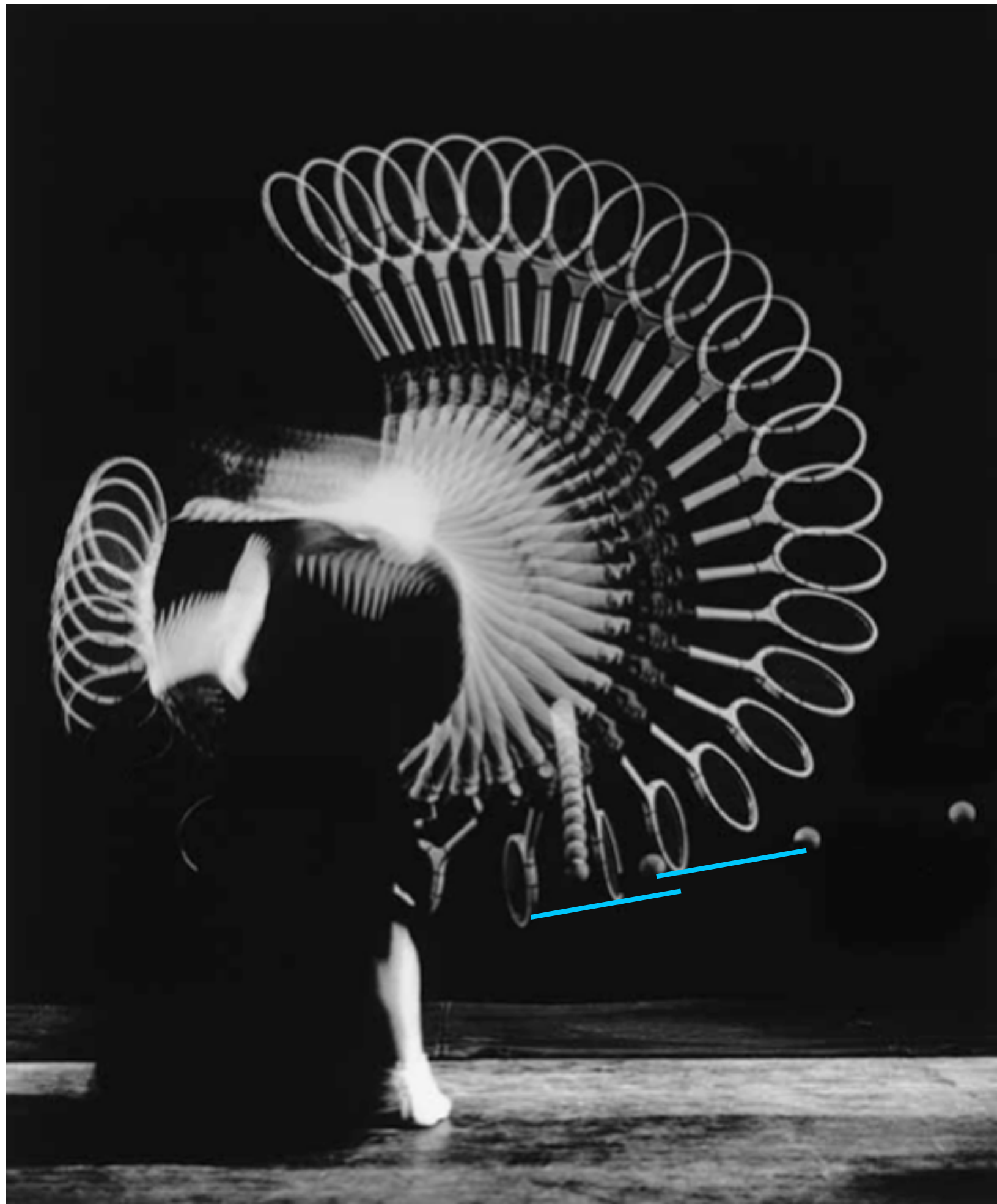
before



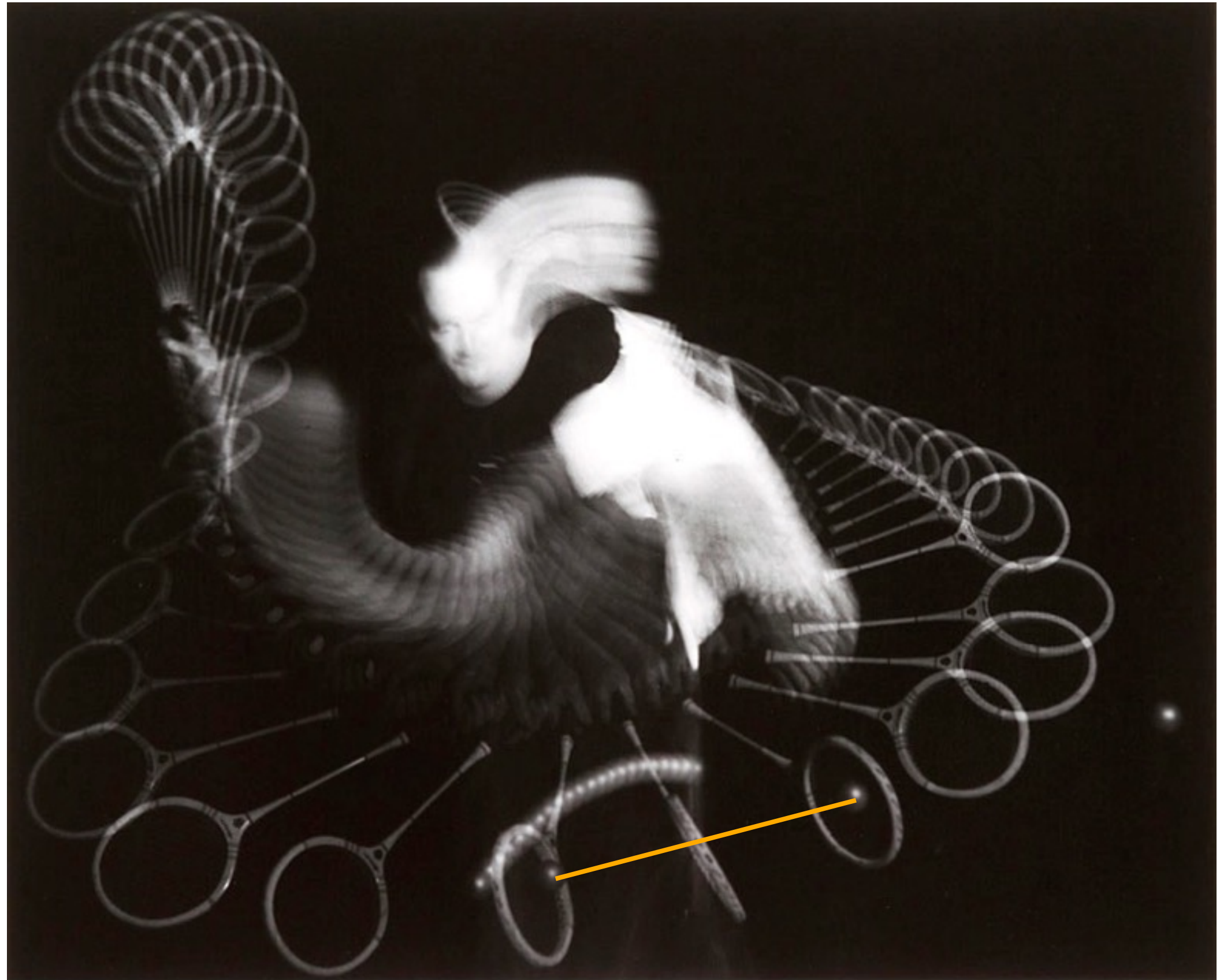
after

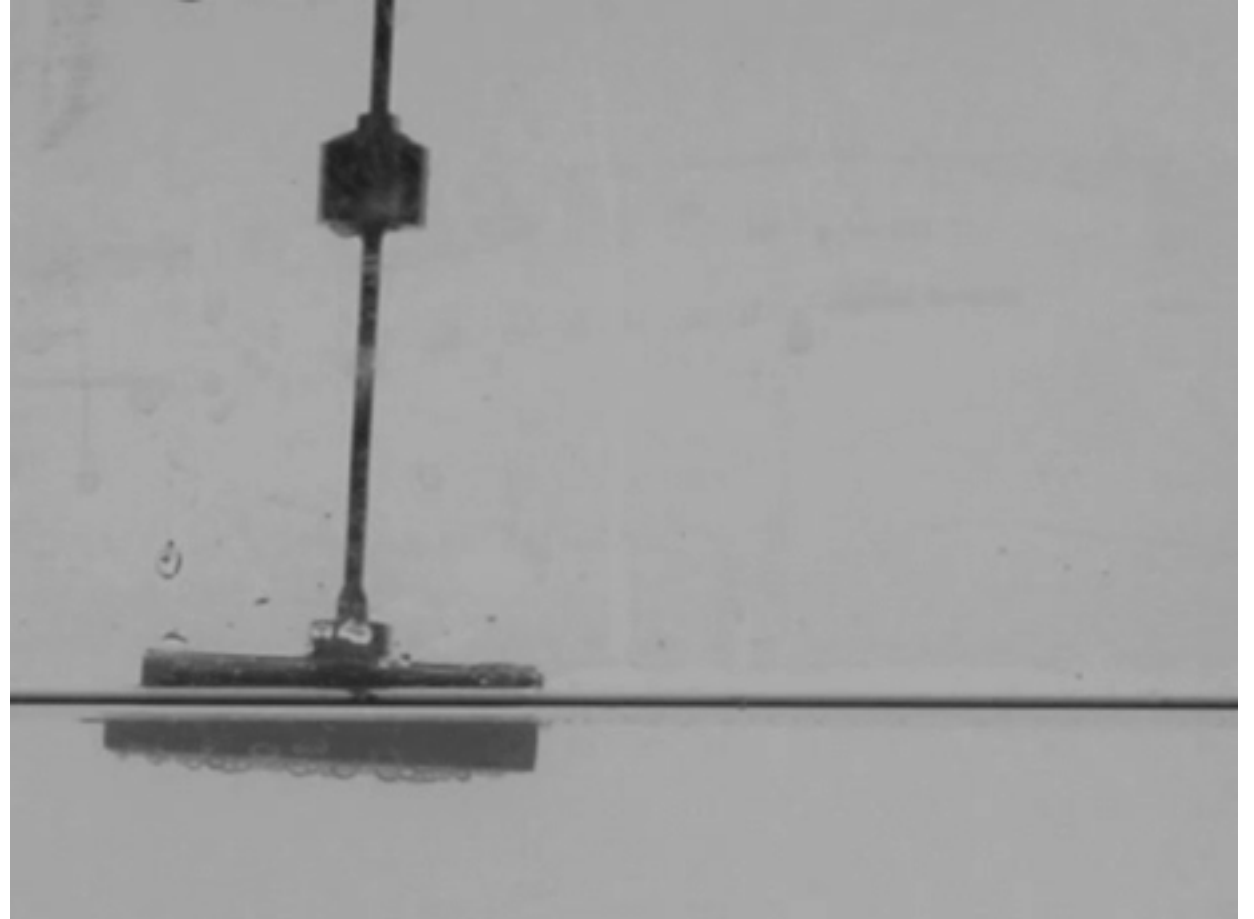
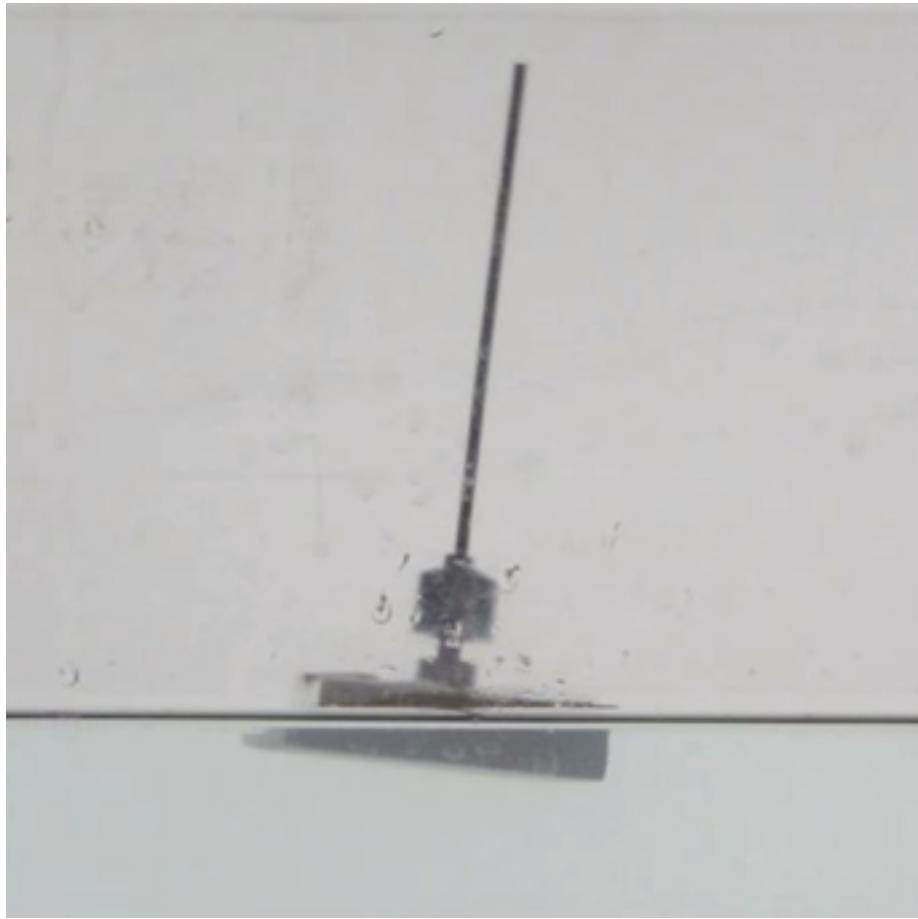














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8, 9 & 10
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